

Adaptive Alignment in Presence of Ground Motion & Technical Noise

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Outline

- The aims related to the ILC project
- Status of art
- Ground motion model
- One-to-one dynamic alignment algorithm
- Benchmark results for 4 different sites
- Experimental & numerical data (FNAL site)
- Summary

The aims related to the ILC project

- Develop the C++ version of the GM model implemented before for the LIAR code in Fortran;
- Provide benchmarks for different types of GM spectra;
- Incorporate the GM model into CHEF;
- Implement the dynamic steering algorithm under GM perturbations;
- Study the stability and efficiency of the steering algorithm with GM.

GM status of art

References

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Ground motion model

- Power spectrum of displacement $x(t,s)$ is

$$P(\omega, k) = \lim_{T \rightarrow \infty} \lim_{L \rightarrow \infty} \frac{1}{T} \frac{1}{L} \left| \int_{-T/2}^{T/2} \int_{-L/2}^{L/2} x(t, s) e^{-i\omega t} e^{-iks} dt ds \right|^2$$

- Relative power spectrum. Approximation

$$\rho(\omega, L) = \frac{1}{2\pi} \int_{-\infty}^{\infty} P(\omega, k) 2[1 - \cos(kL)] dk; \quad \rho(\omega, L) \approx \begin{cases} AL / \omega^2, & 0 < \omega < \omega_0, \\ B / \omega^4, & \omega > \omega_0. \end{cases}$$

- Relative misalignment

$$\langle \Delta X^2 \rangle = ATL + ATL \frac{2}{\pi} f(x_0) + \frac{BT^3}{6\pi} g(x_0), \quad x_0 = \frac{T}{2} \sqrt{\frac{B}{LA}},$$

$$f(x) = Si(2x) - \frac{1 - \cos(2x)}{2x}, \quad g(x) = 2Si(2x) + \frac{\cos(2x)}{x} + \frac{\sin(x)[\sin(x) + x \cos(x)]}{x^3}.$$

One-to-one steering algorithm

3-element adaptive alignment scheme

$$\Delta x_i = C \frac{L_1 L_2}{L_1 + L_2} \left\{ \left[\frac{\beta_{i-1}}{L_1} A_{i-1} + \frac{\beta_{i+1}}{L_2} A_{i+1} \right] - \left[\frac{1}{L_1} + \frac{1}{L_2} - k_i \left(1 - \frac{\Delta E}{2E} \right) \right] A_i \right\},$$

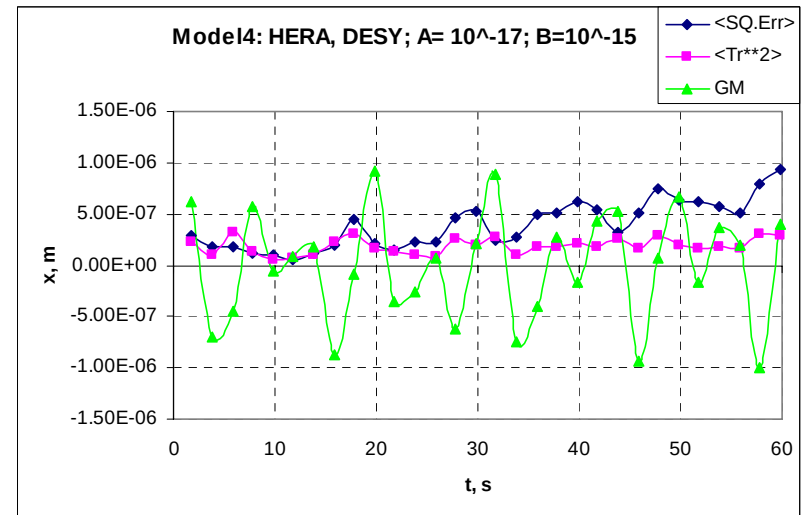
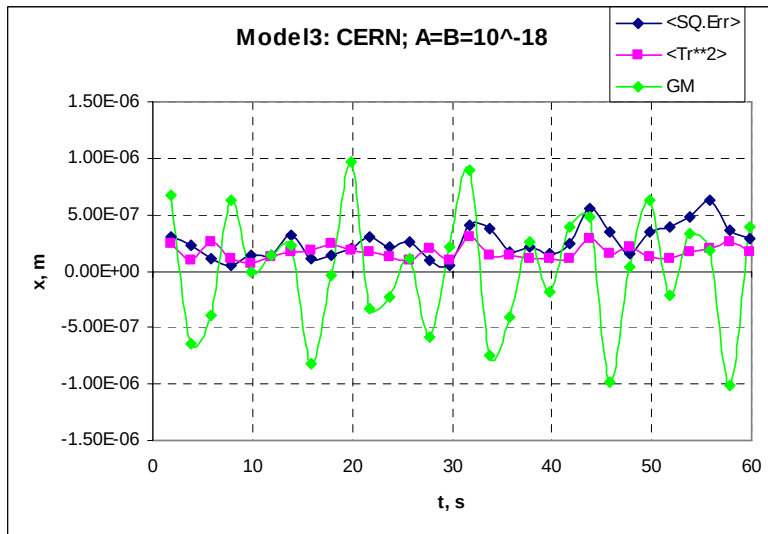
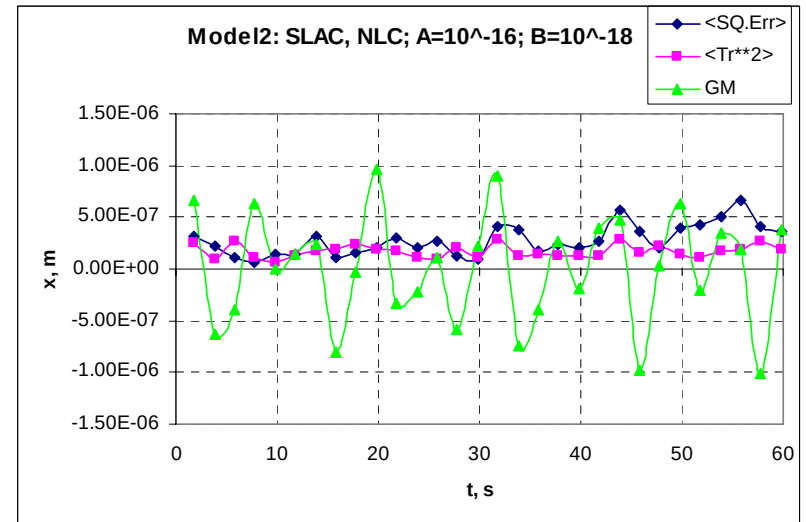
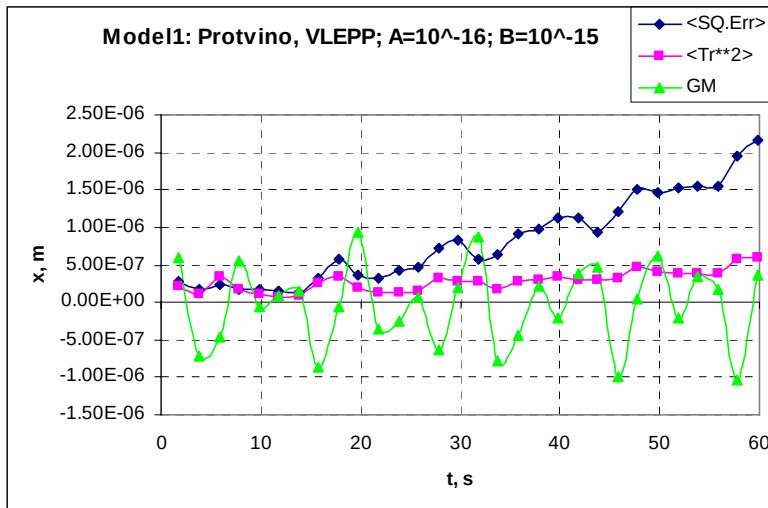
where A_i – BMP reading, k – inverse focusing distance, x_i – quad position, L_1, L_2 – distance to the previous/next lenses $\Delta E/E$ – energy dispersion,

$\beta_i = 1 - k_i l / 4$. l – quad length.

Parameters of numerical model

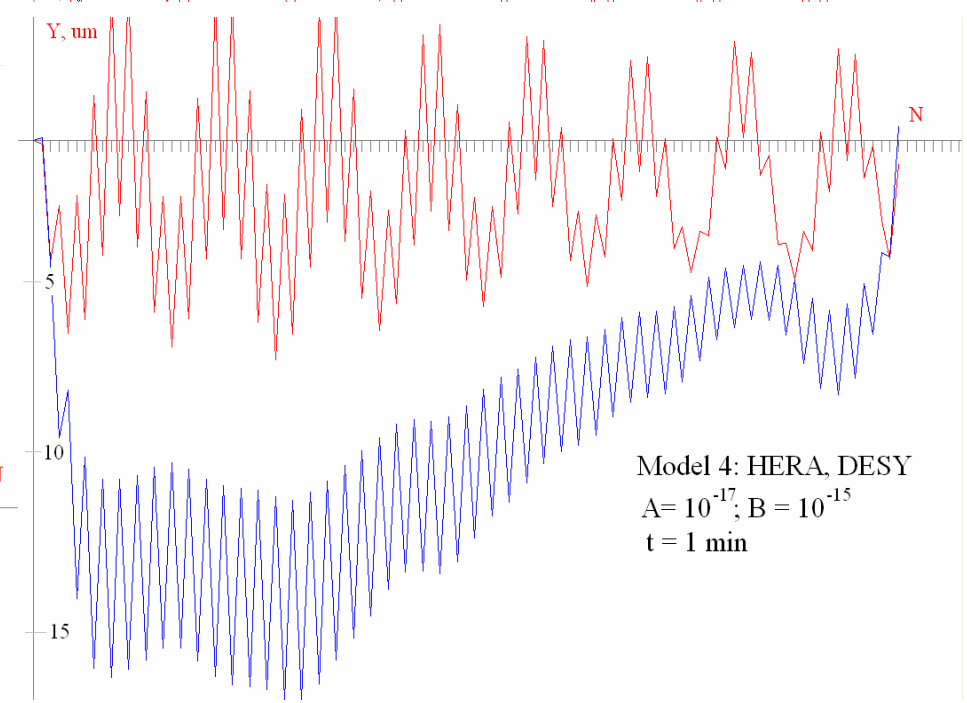
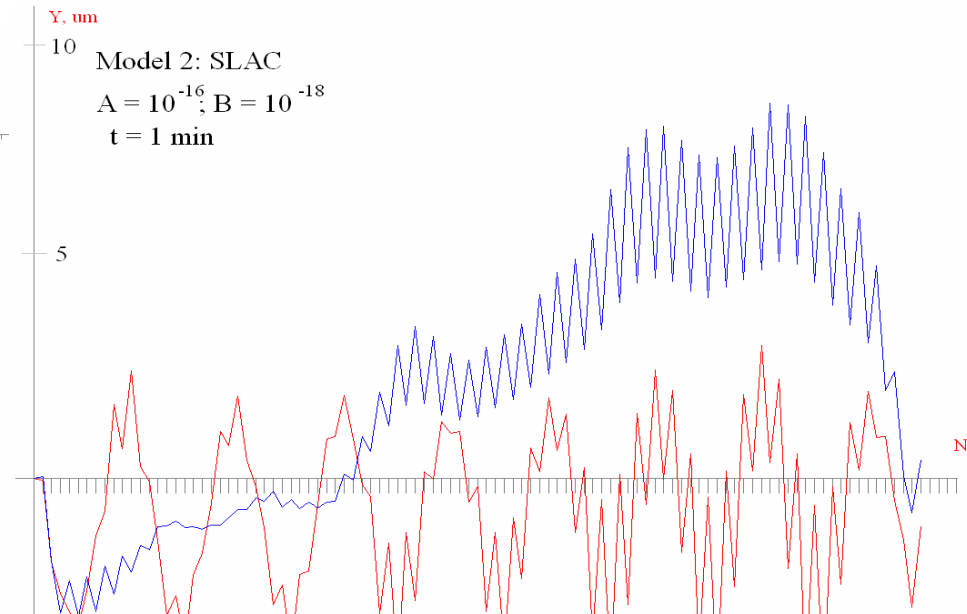
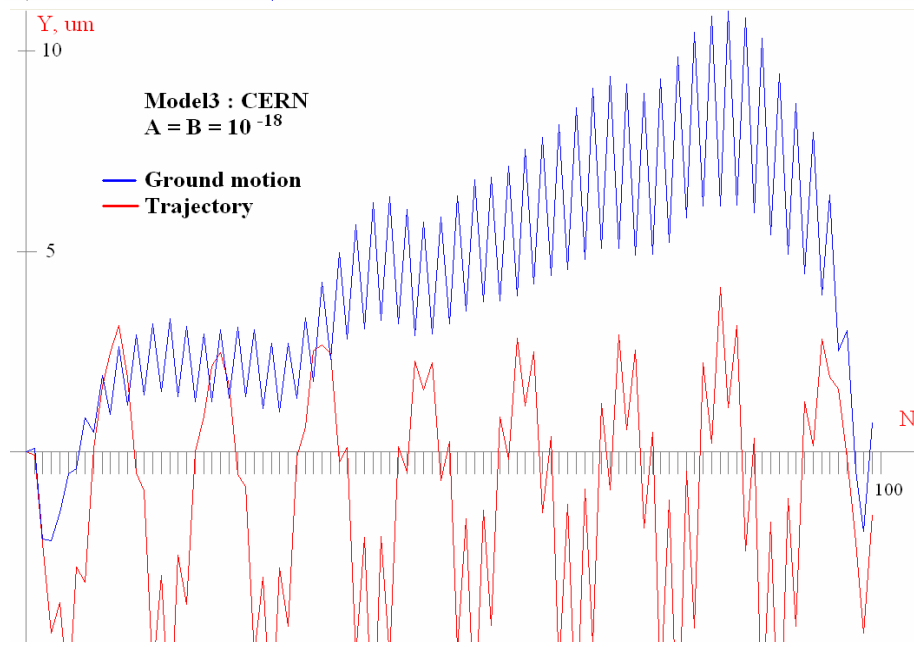
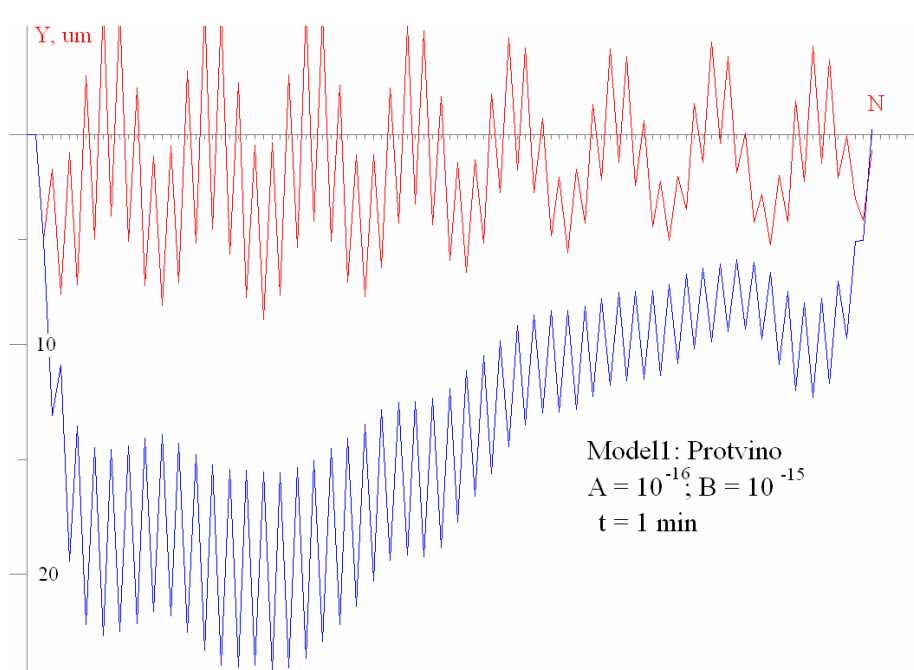
- Number of quads $N = 100$;
- Energy spread $\Delta E/E = 1\%$;
- Distance between quads $L = 34$ m;
- Random BPM misalignment $\sigma = 1$ nm;
- BPM read interval $\Delta t = 0.2$ s (5Hz);
- Convergence coefficient $C=0.05$;
- Initial quad's misalignment $\sigma(A) = 1$ um.

GM Spectra for 4 different sites



— GM variance over the structure; — Trajectory variance; — GM displacement $x(t, s_0)$ at particular point s_0

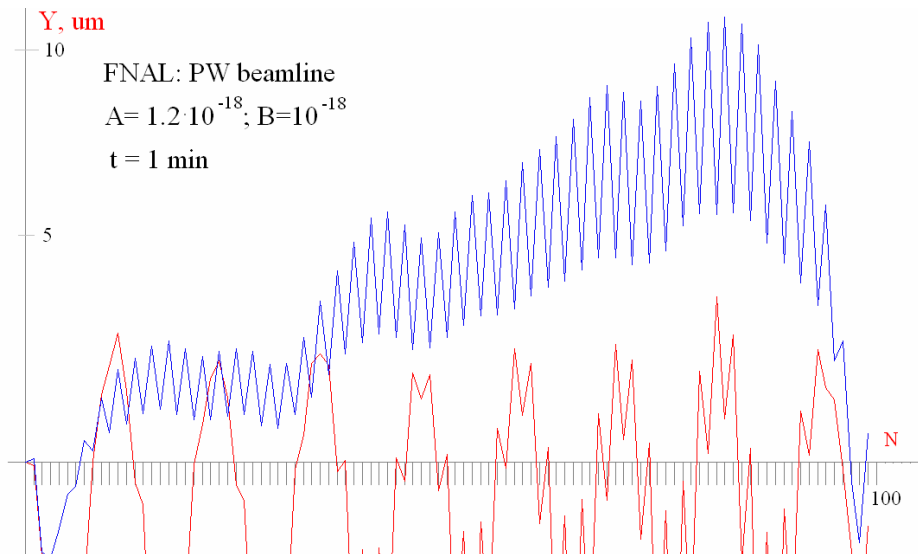
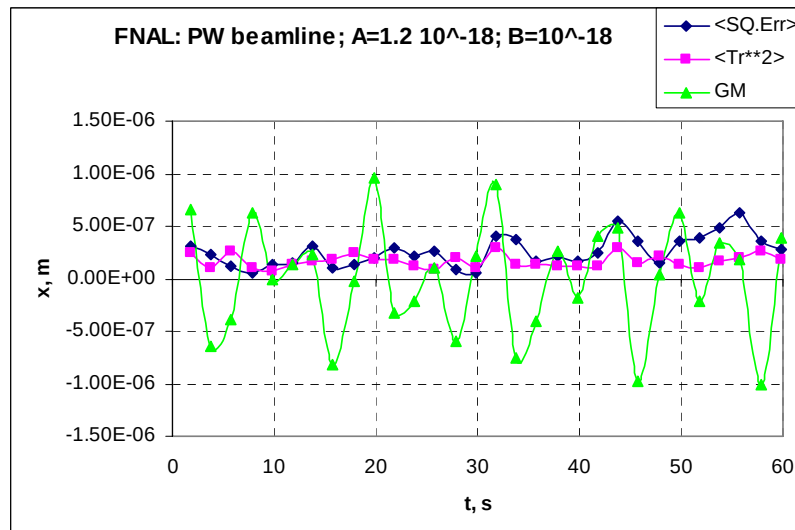
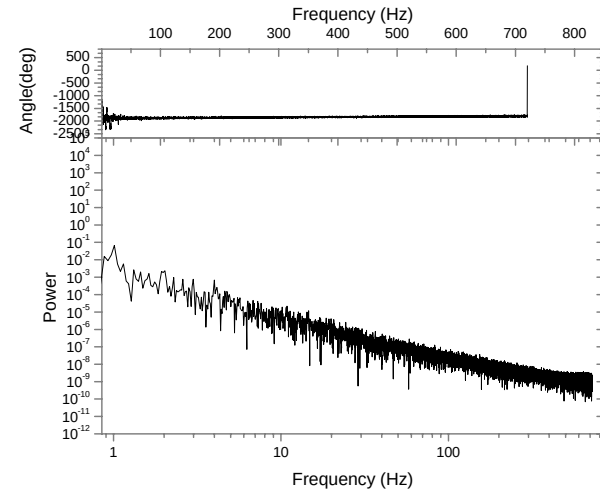
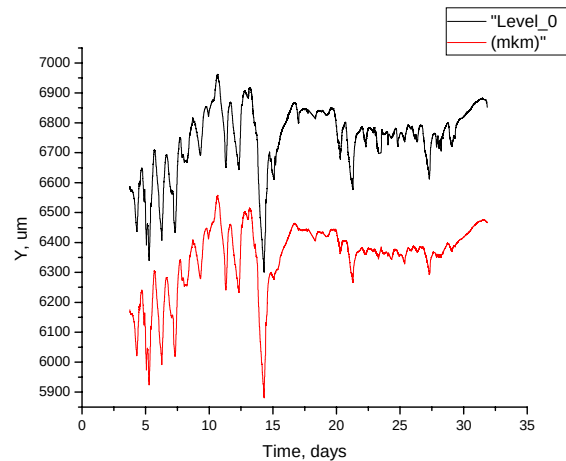
Ground motion & trajectories at different sites



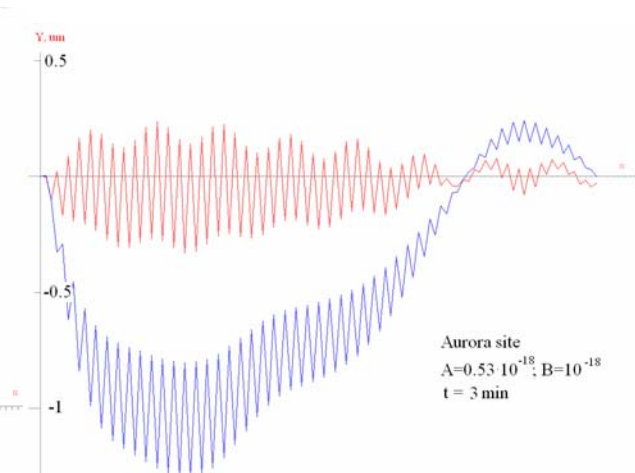
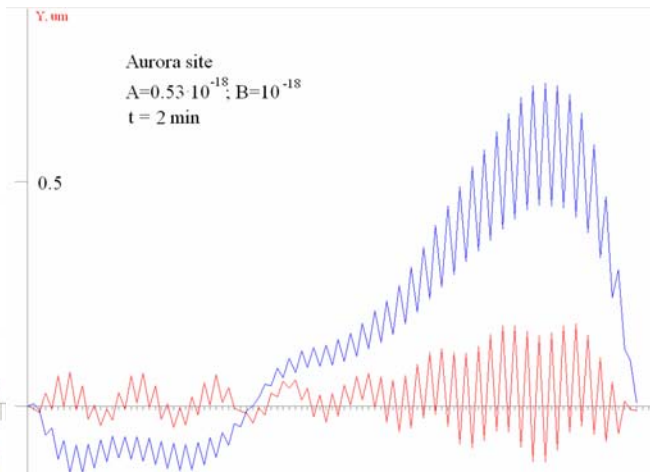
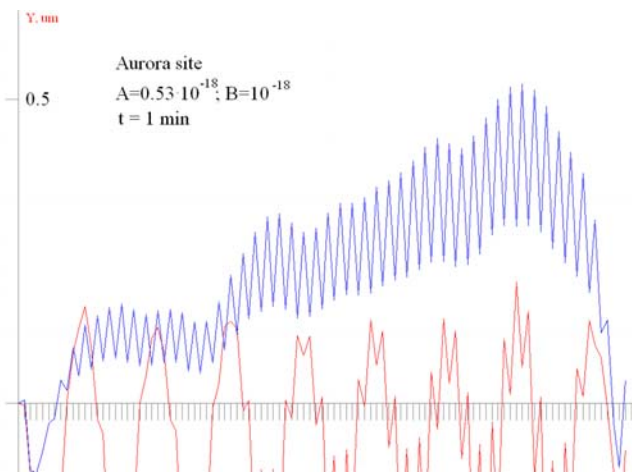
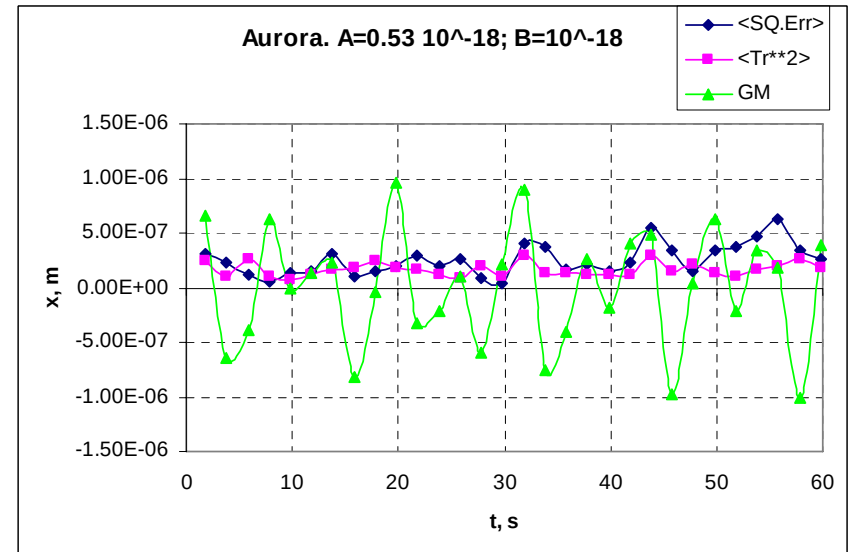
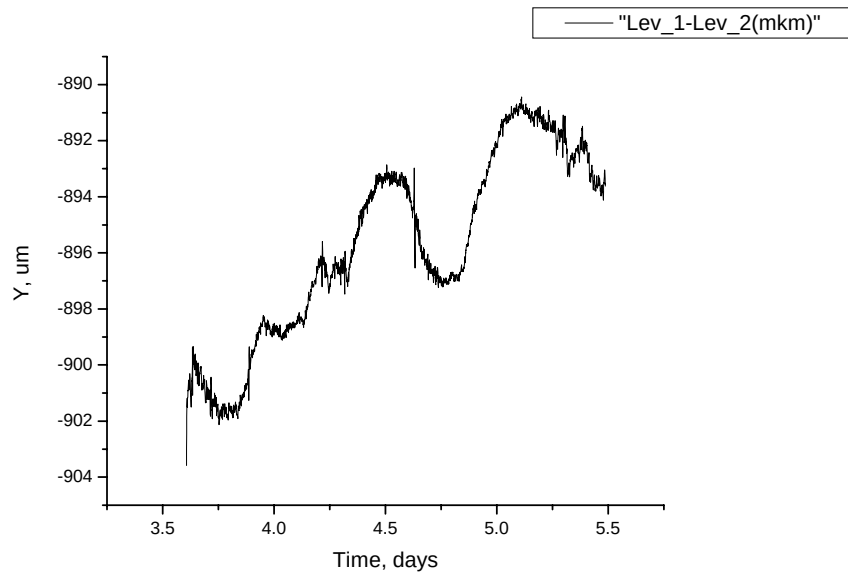
Ground motion data at PW beamline

Fermilab, Oct. 99

Experimental data presented by V. Shiltsev, S. Signatulin



Ground motion at Aurora site



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