Ligand K-edge XAS - Quantitative Applications with TDDFT

Serena DeBeer

Department of Chemistry and Chemical Biology Cornell University

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Outline

- ✓ Ligand K-edge XAS (a bit of history)
- ✓ Qualitative to more Quantitative Approaches
- ✓ TDDFT Calculation of Edges
- ✓ Applications
 - dithiolenes
 - corroles
- ✓ New Methods (XES)

Why use Ligand K-edges?

Metal K- and L-edges

- ✓ Oxidation state
- ✓ Ligand Field
- ✓ Geometry
- ✓ Spin State

Ligand K-edges

- ✓ Probe covalency of M-L bonds
- ✓ Fundamental to reactivity, magnetic interactions, electron delocalization
- ✓ Server as a reporter for the metal site
- ✓ Both metal and ligand oxidation
- ✓ Metal and Ligand edges together provide a more complete experimental description of the electronic structure

Ligand K- pre-edges: The Very "Qualtitative" Years

PHYSICAL REVIEW B

VOLUME 25, NUMBER 12

15 JUNE 1982

Oxygen K near-edge fine structure: An electron-energy-loss investigation with comparisons to new theory for selected 3d transition-metal oxides

> L. A. Grunes and R. D. Leapman* School of Applied and Engineering Physics and Materials Science Center, Cornell University, Ithaca, New York 14853

> > C. N. Wilker and R. Hoffmann Department of Chemistry and Materials Science Center, Cornell University, Ithaca, New York 14853

A. B. Kunz Department of Physics and Materials Research Laboratory, University of Illinois, Urbana, Illinois 61801 (Received 28 December 1981; revised manuscript received 10 March 1982)

O K-edge 1s to p transitions "might be expected to reflect to some extent the d density of states around the metal atoms as measured by the L_{2,3} edges"



FIG. 1. OK-shell excitation edges measured by EELS for selected 3d transition-metal oxides.

Ligand K- pre-edges: The Qualtitative Years

X-ray absorption near-edge structure of complex compounds $(NH_4)_3RhCl_6$, K_3RuCl_6 , and $Ru(NH_3)_6Cl_3$

Chikara Sugiura and Michihide Kitamura Department of Applied Physics. Faculty of Engineering, Utsunomiya University, Utsunomiya 321, Japan Shinji Muramatsu Department of Electronic Engineering, Faculty of Engineering, Utsunomiya University, Utsunomiya 321, Japan

Relates CI K- pre-edge to MO picture

PHYSICAL REVIEW B

VOLUME 37, NUMBER 18

15 JUNE 1988-II

Core-exciton absorption in the F K absorption spectra of 3d transition-metal fluorides

S. Nakai, A. Kawata, M. Ohashi, M. Kitamura, C. Sugiura, and T. Mitsuishi Department of Applied Physics, Faculty of Engineering, Utsunomiya University, Utsunomiya 321, Japan

H. Maczawa Photon Factory, National Laboratory for High Energy Physics, Tsukuba, Ibaraki-Ken 305, Japan (Received 28 December 1987)

F K- pre-edge reflects ligand 2p- metal 3d hybridization



FIG. 1. Fluorine K absorption spectra of 3d transition-me fluorides, MnF₂, FeF₂, CoF₂, NiF₂, CuF₂, and ZnF₂.

Ligand K-edge XAS: As a Quantitative Probe of Covalency



Transitions localized on the absorbing atom \rightarrow pre-edge feature due to a pure ligand transition.

> Provides an experimental measure of ligand 3p character in the HOMO.

Assign intensity to covalency (based on EPR)

B. Hedman, K. O. Hodgson, E. I Solomon, J. Am. Chem. Soc., 1990, 112, 1643.

energy



L 1s

continuum

On a most elementary level, the intensity of the preedge position from a ligand 1s- into a metal d-based MO is given by:

 $I(1s \rightarrow \psi^*) = a\alpha^2$

where α^2 is covalency and a is a proportionality constant – assumes the transition moment dipole integral is constant

Is this a fair assumption?

The Ligand K-Edge Intensity Mechanism

	Ligand K-edge LM	Charge-Transfer LM
Acceptor MO		
	$(1-\alpha^2)^{1/2}$ M 3d>- α L np>	$(1-\alpha^2)^{1/2}$ M 3d>- α L np>
Donor MO	0	
	L 1s>	$\alpha M 3d> + (1-\alpha^2)^{1/2} L np>$
Transition Density		► J
Transition Dipole Moment	<>	
	$\alpha < 1s x np>$	$\alpha(1-\alpha^2)^{1/2}R$

Neese, F.; Hedman, B.; Hodgson, K.; Solomon, El Inorg. Chem., 1999, 38, 4854-4860

Transition Dipole Moment

The transition dipole moment is the intrinsic intensity of a 1s \rightarrow np transition. This depends on the radial functions of the 1s and 3p orbitals



Experimentally Estimating the Transition Dipole Moment



R. Sarangi, S. DeBeer George, D. Jackson Rudd, R. K. Szilagyi, X. Ribas, C. Rovira, R. H. Holm, B. Hedman, K. O. Hodgson, E. I. Solomon, J. Am. Chem. Soc., 2007, 129, 2316.

Experimental Observable: Oscillator Strength

The oscillator strength of a given transition in the pre-edge region may be factored into two contributions:

1) fractional ligand character in the acceptor MO

2) radial transition-dipole integral $I(S) = |\langle S1s|r|S3p \rangle|2$

Therefore we need to know I(S)

1) Experimentally estimate

2) Calculate the oscillator strength directly and apply the factorization of I(S) and α^2 after the correlation of the calculated and experimental oscillator strengths has been established

Focus on pre-edge region which readily relates to an MO-based picture

TD-DFT Calculations: ORCA (developed by F. Neese, Bonn)

A Simple TD-DFT Protocol for K-Edge XAS



- ✓ Localize 1s-orbitals of symmetry equivalent S,CI
- ✓ Include only 1s→Virtual excitations in the TD-DFT equations
- ✓ Calculate dipole and quadrupole contributions to the transition moments
- ✓ Use large basis sets on the XAS absorber atom
- ✓ Treat scalar relativistic effects through ZORA
- ✓ Compensate negative total charges through COSMO

TD-DFT:

$$\begin{split} \left\langle \Psi_{0} \mid \vec{\mu}_{ED}^{length} \mid \Psi_{I} \right\rangle &= \sum_{jb} (X_{jb}^{I} + Y_{jb}^{I}) \left\langle \psi_{j} \mid \mathbf{r} \mid \psi_{b} \right\rangle \\ \left\langle \Psi_{0} \mid \vec{\mu}_{ED}^{velocity} \mid \Psi_{I} \right\rangle &= i \sum_{jb} (X_{jb}^{I} + Y_{jb}^{I}) \left\langle \psi_{j} \mid \vec{\nabla} \mid \psi_{b} \right\rangle \end{split}$$

(dipole velocity preferred on theoretical ground but in practice dipole length is more stable; for exact wavefunctions both forms would be identical)

The Quadrupole Intensity

Problem: Straightforward application of the ED and MD operators:

$$\vec{\mu}_{EQ,ab} = \sum_{i} (\vec{r}_{i,a} \vec{r}_{i,b} - \frac{1}{3} r_{i}^{2} \delta_{ab}) \qquad \vec{\mu}_{MD,a} = \frac{1}{2} \sum_{i} (\vec{l}_{i} + 2\vec{s}_{i})_{a}$$

Leads to results that depend (a LOT) on the choice of the coordinate origin which is unphysical!

Solution: (Taras Petrenko) Choose the origin that leads to the fastest convergence of the multipole expansion of the light/matter interaction. First shift the origin by **R**:

$$(Q'_{ab})_{0n} = (Q_{ab})_{0n} - R_a(D_b)_{0n} - R_b(D_a)_{0n} + \frac{2}{3}(\vec{D}_{0n} \cdot \vec{R}) \qquad \vec{M}'_{0n} = \vec{M}_{0n} - \frac{i}{2}E_{0n}\left[\vec{R} \times \vec{D}_{0n}\right]$$

and then require $\frac{\partial f_{0n}^{(1)}}{\partial \vec{R}} = \vec{0}$
Leading to: $\hat{A}\vec{R} = \vec{C} \qquad A_{ij} = \frac{8}{15}E_{0n}(\vec{D}_{0n})^2\delta_{ij} - \frac{4}{15}E_{0n}(D_i)_{0n}(D_j)_{0n} \qquad C_i = \frac{1}{5}E_{0n}\sum_{j}(Q_{ij})_{0n}(D_j)_{0n} - \frac{2}{3}\sum_{jk}\varepsilon_{ijk}(M_j)_{0n}(D_k)_{0n}$

Solving this linear system for R gives the best possible origin. It usually nearly coincides with the X-ray absorber atom

CI K- pre-edge: Method Calibration



BP86 CP(PPP): metal TZVP: CI COSMO

Ground state DFT symmetry equivalent chlorine 1s orbitals localized

TD-DFT - allowing only for excitations from the localized chlorine 1s orbitals.

Relative Intensities well-reproduced

Constant energy shift 85.5 (+/- 0.3 eV)

S. E. Shadle et al., J. Am. Chem. Soc., 1995, 117, 2259.

S. DeBeer George, P. Brant, E. I. Solomon, J. Am. Chem. Soc., 2005, 127, 667.

S. DeBeer George, T. Petrenko, F. Neese, ICA, 2007

Effect of functional, basis set, solvation & relativistics...

	For all [MCl ₄] ⁿ complexes		For [MCl ₄] ²⁻ complexes only	
Peturbation	Avg Energy Shift	Error in Norm. Intensity	Avg Energy Shift	Error in Norm. Intensity
Opt method	85.3 (0.6)	0.06	85.5 (0.3)	0.06
B3LYP	64.0 (0.6)	0.11	64.1 (0.6)	0.10
LB94	40.3 (0.8)	0.20	40.8 (0.5)	0.18
IGLO-III	86.4 (0.7)	0.09	86.8 (0.2)	0.08
TZVP	85.7 (0.9)	0.26	85.9 (0.63)	0.32
Inf DE	85.4 (0.6)	0.07	85.7 (0.2)	0.05
No solv	84.9 (0.6)	0.06	85.2 (0.3)	0.06
ZORA	61.1 (0.6)	0.06	61.0 (0.7)	0.06
DKH2	77.3 (1.2)	0.06	77.8 (1.9)	0.06

S. DeBeer George, T. Petrenko, F. Neese, ICA, 2007.



Calibration of Scalar Relativistic Density Functional Theory for the Calculation of Sulfur K-Edge X-ray Absorption Spectra

Serena DeBeer George*,[†] and Frank Neese*,[‡]

[†]Department of Chemistry and Chemical Biology, Cornell University, Ithaca, New York 14853, and [‡]Institut für Physikalische und Theoretische Chemie, Universität Bonn, D-53115 Bonn, Germany

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Table 1. Calibration Data for TD-DFT-Based Calculations of S-K-Edge Absorption Spectra for Different Density Functionals (ΔE = shift required for the transition energy; b = slope connecting oscillator strength and experimental area, i.e., area = $(1 \times 10^4) f_{csc}/b$)

	$\Delta E (eV)$	В
BP86 ^a	60.38 ± 0.12	11.44 ± 0.49
BP86 ^b	60.01 ± 0.11	11.49 ± 0.50
BP86 ^{a,c}	76.25 ± 0.15	12.01 ± 0.48
PBE^{a}	61.67 ± 0.11	11.18 ± 0.55
PBE ^b	61.33 ± 0.12	11.40 ± 0.50
$OPBE^{a}$	62.75 ± 0.12	11.15 ± 0.53
OPBE ^b	62.41 ± 0.13	11.28 ± 0.54
$OLYP^{a}$	61.83 ± 0.12	11.26 ± 0.52
$OLYP^{b}$	61.49 ± 0.12	11.34 ± 0.51
TPSS ^a	53.53 ± 0.13	11.25 ± 0.50
TPSS ^b	53.18 ± 0.13	11.28 ± 0.50
B3LYP ^a	40.34 ± 0.44	16.83 ± 0.57
PBE0 ^a	36.17 ± 0.36	18.03 ± 0.67
TPSSh ^a	44.14 ± 0.18	13.49 ± 0.48

"With TDA. "Full TD-DFT." Without relativistic corrections.

Generic ORCA Input File

For Sulfur K-edge calculations, the following input was used:

```
! SP def2-TZVP(-f) def2-TZVP/J Functional COSMO(CH2CL2) ZORA
! TightSCF Grid4 NoFinalGrid
%maxcore 1024
```

```
%tddft NRoots 5
MaxDim 150
XASLoc[0] = First-S-1s, Last-S-1s
XASLoc[1] = First-S-1s, Last-S-1s
OrbWin[0] = First-S-1s, First-S-1s,-1,-1
OrbWin[1] = First-S-1s, First-S-1s,-1,-1
DoQuad true
end
```

* xyz Charge Multiplicity
(the optimized coordinates)

*

Metal K-Edges



TD-DFT with Inclusion of Quadrupole



DeBeer George, S.; Petrenko, T.; Neese, F.J. Phys. Chem. A, 2008, 112, 12936.

TD-DFT with ORCA: Theory vs Experiment



DeBeer George, S.; Petrenko, T.; Neese, F.J. Phys. Chem. A, 2008, 112, 12936.

Dithiolene Complexes





- Classical coordination complexes (Holm, Maki, Gray, Stiefel, Schrauzer, Wieghart...)
- Candidate materials for nonlinear optic devices and catalysis
- Biological impact (Molybdopterines)
- Controversial electronic sturcture

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- Controversial electronic sturcture

Do dithiolene ligands contain radicals?



K. Ray, S. DeBeer George, E. I. Solomon, K. Wieghardt, F. Neese, Chem. Eur. J., 2007, 13, 2783.

Do dithiolene ligands contain radicals?



YES! ... But what determines when and how it happens?

K. Ray, S. DeBeer George, E. I. Solomon, K. Wieghardt, F. Neese, Chem. Eur. J., 2007, 13, 2783.

Electronic Structure of Square Planar [M(L^{SS})₂]⁻



Insights from XAS on Dithiolenes



Radical character along the series:

 $[Fe(L^{S,S})_2]^{2-} < [Cu(L^{S,S})_2]^{-} < [Co(L^{S,S})_2]^{-} < [Ni(L^{S,S})_2]^{-} \approx [Pd(L^{S,S})_2]^{-} \approx [Pt(L^{S,S})_2]^{-} < [Au(L^{S,S})_2]^{-}$

"Innocent" ligands Ambiguous

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Ligand Radicals
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K. Ray, S. DeBeer George, E. I. Solomon, K. Wieghardt, F. Neese, Chem. Eur. J., 2007, 13, 2783.

Chromium Trisdithiolenes



Chromium K-edge XAS

Sulfur K-edge XAS

Monday, July 19, 2010

Normalized Absorption

 $[Cr^{III}(L^{CI})(L^{CI})_2]^{2-}(S = 1)$

DFT Broken Symmetry, BS(3,1)

Electronic Structure

Time Dependent DFT

Neutral Complex

Broken symmetry DFT calculation of $[Cr(L^{Bu})_3]$, S = 0 – predicts octahedral geometry

Anticipated S K-edge

From biological to chemical catalysis...

Corroles: Metal- or Ligand-based Oxidation?

Zakharieva et al, JACS, 2002, 124, 6636.

Corroles: Metal- or Ligand-based Oxidation?

Fe-N(cor) 1.88-1.92 A Fe-C(Ph) 1.98 Å Disp. from Fe-N4 plane 0.27 Å Mössbauer Fe(Et8C)Cl $\delta = -0.10 \text{ mm/s}$ $\Delta EQ = 2.99 \text{ mm/s}$ NMR – upshifted meso-H resonaces (~1/4 of the Cl-Corr)

Zakharieva et al, JACS, 2002, 124, 6636.

Porphyrin and Corrole Models

Fe K-edge XAS

Fe K-edge XAS

Fe K-edge XAS

CI K-edge XAS

Similar Fe-Cl covalency (Cl contributes to d_{xz}, d_{yz}, d_{z2})

Similar effective charge on CI

Similar d-manifold energy

Supports an S=3/2 Fe(III) assignment for the Fe(corrole)Cl

N K-edge XAS

N K-edge XAS

Ground State DFT – Fe(corrole)Cl

DFT: Fe(corrole)CI – Unoccupied Orbitals

Ground State DFT – Fe(corrole)Ph

DFT: Fe(corrole)Ph – Unoccupied Orbitals

TD-DFT: Fe K-edges

TD-DFT: CI K-edges

CI K-edge energies and intensities are well-reproduced

DFT: N K-edges

Fe(corrole)Cl

Fe(corrole)Ph

Ground-state DFT N 2p character show reasonable agreement

 \checkmark Pre-edges of ligand and metal edges are accessible using a relatively simple TDDFT approach

✓ Ligand and metal K-edge applications to dithiolenes have helped resolve electronic structure controversies

✓ Similar applications to corroles have been demonstrated

Acknowledgments

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\$ Cornell University\$ ACS PRFBeam time: SSRL, CHESS